

Quality Assurance Challenges of Measurements from Field to Laboratory with a Focus on ISO/IEC 17025:2017 Requirements

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Total risk assessment in oil spill source identification using normalised methods requirements A.C. Rocha ^(1; 2; *); C. Palma ⁽¹⁾; R.J.N. Bettencourt da Silva ⁽²⁾

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Technical

Report

Introduction

- Chemical analysis has been a valuable support for forensic investigations in oil spill source identification;
- Ratios between chromatographic signals of specific compounds, *i.e.*, diagnostic ratios (DR), have been widely used to characterize and correlate chemical compositions of oil samples;
- Common methods for DR comparison observed in two samples are based on inadequate assumptions or approximations that lead to a erroneous assessments about the equivalence of sample compositions: student's t statistics (S-t) [1] and a single criterion that defines a maximum relative difference of 14% (SC) [2, 3];
- The development of new methods for DR comparison that describe better the reality of the DR probability is essential to ensure identification quality.





Demonstrate the application of an innovative method for DR comparison based on simulations by the Monte Carlo Method (MCM);

- Compare the MCM method with the S-t and SC methods using normalised methodologies requirements:
 - evaluation of the confidence intervals produced;
 - assessment of the identification quality by the total risk of true acceptance of composition equivalence.

Methodology 3

Data set	 Spill and suspected source samples: mixture of crude oil extracts from different geographical areas (Mixcrude extract) [4]; GC-MS analysis according to acquisition and processing conditions suggested by prEN 15522-2 [3]; 29 signals quantified to simulate 22 normative ratios [3].
MCM imulation	 Simulation of chromatographic signals for each sample, supported by dispersion and correlation observed experimentally [4]; Determination of the DR difference between simulated data (<i>DR</i>_{Sp;i} - <i>DR</i>_{SS;i}).
Total risk Estimate	 Probability of true acceptance of equivalence between sample compositions: % DR sets with all ratios statistically equivalent
Tested conditions	 n_{Sp} = 3, 5 and 8, and n_{SS} = 2 and 3; Ratio formats: A/(A+B) and A/B.

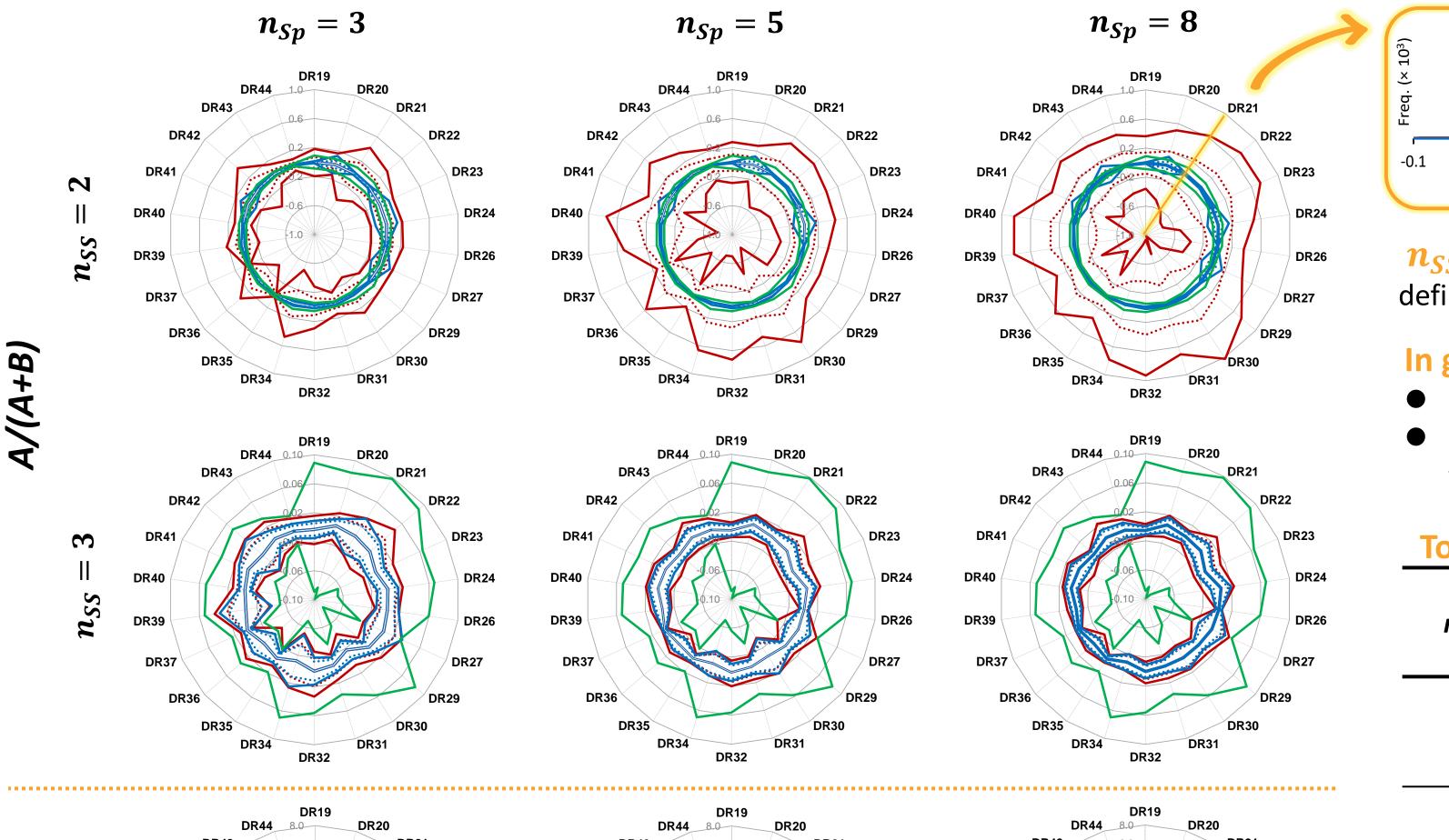
- How do different data processing conditions impact on the criteria defined by the DR comparison methods? • Does the alternative MCM method lead to better quality identifications compared to the S-t and SC methods?
- S-t Criteria $\left|\overline{DR}_{Sp:i} - \overline{DR}_{SS:i}\right| \leq t((1-P);\xi) \cdot s_d$ [4] **Experimental** Total risk of SC Criteria data true acceptance $\left|\overline{DR}_{Sp;i} - \overline{DR}_{SS;i}\right| \leq 0.14 \cdot \overline{DR}_{i}$ [2, 3] \Box of compositional **MCM** Simulation equivalence between **MCM** Criteria 10⁵ sets of two similar samples P2.5 or $P1 \leq (\overline{DR}_{Sp;i} - \overline{DR}_{SS;i}) \leq P97.5$ or P99 $(\overline{DR}_{Sp} - \overline{DR}_{SS})$ 10⁴ sets of **Equivalence test using the defined criteria** $(DR_{Sp} - DR_{SS})$

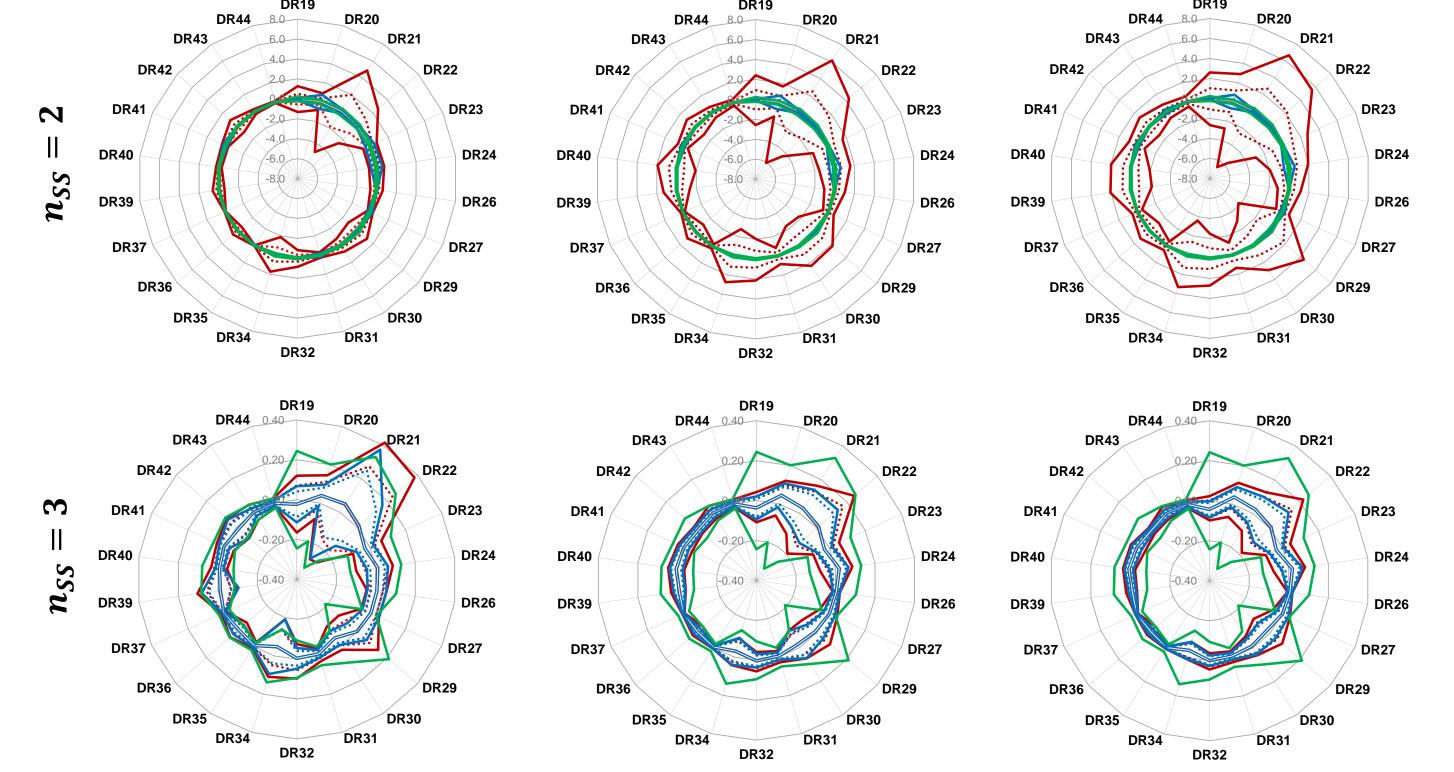
Figure 1. Descriptive scheme of the total risk estimate: P – confidence level; ξ - degrees of freedom; s_d – standard deviation of the DR difference; $\overline{DR}_{Sp;i}$ and $\overline{DR}_{SS;i}$ -Mean of DR *i* observed for spill or suspected source samples, respectively; \overline{DR}_i - Mean value of $\overline{DR}_{Sp;i}$ and $\overline{DR}_{SS;i}$; $P\chi - \chi^{th}$ percentiles.



Si

A/B





 $n_{SS} = 2$: the confidence intervals defined by the MCM method proved to be broader than those defined by S-t and SC methods and tend to widen with the increase of replicate analysis of the spill sample.

 \rightarrow ($\overline{DR}_{Sp;i} - \overline{DR}_{SS;i}$) probability distributions obtained by simulation are flatter than those modeled for S-t.

 $n_{SS} = 3$: the confidence intervals defined by the MCM method revealed to be slightly wider than those defined by the S-t method and tend to narrow with the increase of replicate analyses of the spill sample.

In general, the confidence intervals defined...

 $\left(\overline{DR}_{Sp;i} - \overline{DR}_{SS;i}\right)$

0.1

• by the S-t methods tend to narrow with the increase of replicate analyses of the spill sample;

• by the SC method do not vary with the increase of replicate analysis of the spill sample and, in general, are wider than those defined by the S-t method.

Total risk of true acceptance of compositional equivalence between two similar samples (%)

	n _{ss}	A/(A+B)					A/B						
n _{sp}		МСМ		S-t		SC	MCM		S-t		SC .		
		95% *	98% *	95% *	98% *	SC	95% *	98% *	95% *	98% *	SC		
3	2	89,3	94,8	29,9	45,2	71,9	89,1	94,5	30,3	45,1	53,0		
5		88,3	92 <i>,</i> 8	2,3	5,9	52,8	86,7	91,5	2,3	5,7	31,3		
8		85,8	90,8	0,14	0,39	35,7	84,1	89,7	0,070	0,43	18,0		
3	3	83,1	93 <i>,</i> 4	64,6	80,3	95,7	83,5	93 <i>,</i> 0	64,6	80,7	90,6		
5		76,6	91,0	56,8	76,8	97,8	75,7	90,7	56,0	75,7	95,7		
8		74,7	90,4	51,4	72,5	98,3	74,5	90,7	51,3	72,3	96,7		
* Confidence	* Confidence level												

Figure 2. Confidence limits of ($\overline{DR}_{Sp;i} - \overline{DR}_{SS;i}$) for all 22 DR studied, determined by the \bullet MCM, \bullet S-t and \bullet SC methods, for 3, 5 and 8 injections of spill sample, 2 and 3 injections of suspected source sample and for ratio formats A/(A+B) and A/B. = P50 (MCM and S-t) or $(\overline{DR}_{Sp;i} - \overline{DR}_{SS;i})$; \cdots P2.5 and P97.5; - P1 and P99 (MCM and S-t) or SC limits.

Conclusions

- The alternative method for DR comparison developed, based on MCM simulations, was successfully applied to access the compositional equivalence between samples;
- The different conditions for processing data tested impact the confidence limits amplitude defined for MCM, S-t and SC methods, as well as the total risk of the true acceptance of compositional equivalence between samples;
- The probability distributions of $(\overline{DR}_{Sp;i} \overline{DR}_{SS;i})$ showed deviations from normality revealing a flatter shape, especially when duplicate analysis of suspected source samples are used;
- MCM method prove to be very suitable for oil spill identification: MCM method describes exactly the probability distributions of $(\overline{DR}_{Sp;i} - \overline{DR}_{SS;i})$ leading to better quality identifications using fewer resources (number of analysis and time spent on data acquisition and processing).

References

[1] Daling, P.S.; Faksness, L.G.; Hansen, A.B.; Stout, S.A. Environ. Forensics 2002, 3, 263-278. [2] CEN (2012). Brussels Studies Institute. Brussels:Belgium. 138 p. (Ref. CEN/TR 15522-2:2012:E).

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